

# Corporate Governance and Cost of Equity: Theory and Evidence

Di Li<sup>†</sup>   Erica X. N. Li<sup>‡</sup>

<sup>†</sup> Finance Department  
J. Mack Robinson College of Business  
Georgia State University

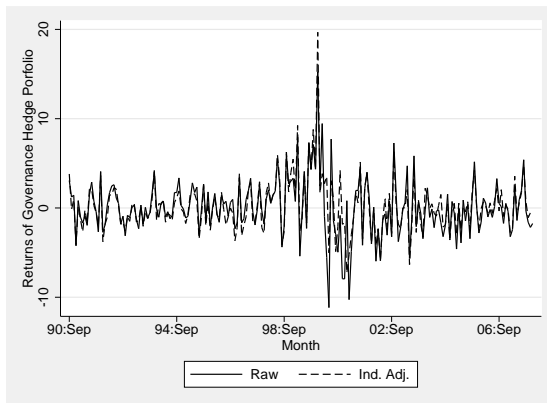
<sup>‡</sup> Finance Department  
Cheung Kong Graduate School of Business

2013 All Georgia Conference  
October 11, 2013

# Does Governance Affect Stock Returns?

- Origin: Gompers, Ishii, and Metrick (2003)
- Governance-return relation: Mixed findings
  - Gompers, Ishii, and Metrick (2003): Positive, 1990-1999
  - Core, Guay, and Rusticus (2006): Negative, 2000-2003
  - Bebchuk, Cohen, and Wang (2013): None, post 2001
  - No coherent explanation for all these findings
- This paper: Alternative and coherent explanation
  - Yes, governance affects cost of equity
  - How? In a subtle way
  - Procyclical relation
    - ▶ Positive during booms
    - ▶ Negative during busts

# Governance and Stock Returns – A Quick Look



- Concentrated in the end of 1990's and the beginning of 2000's
- Positive during the end of 1990's
- Negative during the beginning of 2000's

# Governance, Firm Values, and Risk

## ■ Three elements of firm value

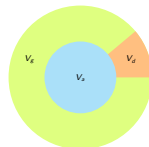
- Investment options ( $V_g$ ): Call options, riskier
- Assets-in-place ( $V_a$ )
- Divestiture options ( $V_d$ ): Put options, less risky

## ■ Governance mitigates investment distortion

- $V_g$  and  $V_d$  increases in governance quality

## ■ Strong vs. weak governance

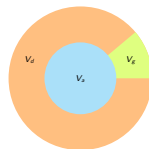
- higher value of  $V_g$  during booms
- higher value of  $V_d$  during busts
- riskier during booms
- less risky during busts



(a) Strong governance stock during booms



(b) Weak governance stock during booms



(c) Strong governance stock during busts



(d) Weak governance stock during busts

# Preview of Empirical Findings

- Classify business cycles using Tobin's  $Q$ : Aggregate and industry level
- Methods: Portfolio & factors approach, characteristics regression
- Findings
  - Strong governance stocks outperform during booms
  - Weak governance stocks earn higher returns during busts
  - Magnitude of differences: Dozens of basis points monthly
  - More significant with more precise business condition classification
  - Robust to regression methods, industry adjustment, business cycles classification, alternative governance measure, and alternative explanation for negative governance-return relation during busts

# Model Settings

- Real options model (Dixit and Pindyck, 1994)
- Assumptions
  - Assets-in-place:  $N$  units of capital
  - Cash flow per unit  $y_t$ :  $dy_t = \pi y_t dt + \sigma y_t dz_t$   
 $\pi$ : constant drift;  $\sigma$ : std. dev.;  $dz_t$ : standard Wiener process
  - Return of assets-in-place (CAPM):  $r_a = r_f + \phi \sigma \rho_{ym}$   
 $r_f$ : risk-free rate;  $\phi$ : constant market price of risk;  $\rho_{ym}$ : correlation
  - Investment option: Invest  $I$  to increase cash flow to  $(N + 1)y$
  - Divestiture option: Sell one unit at  $I$ , reducing cash flow to  $(N - 1)y$
  - Managerial agency and governance
    - ▶ Personal benefits (costs)  $B$  per unit of investment/divestiture
    - ▶ Empire building ( $B > 0$ ) or shirking ( $B < 0$ )
    - ▶ Governance quality *decreasing* in  $|B|$ , perfect alignment when  $B = 0$

# Model Predictions

## Lemma 1

*Expected return increases (decreases) in the share of investment (divestiture) option in total firm value.*

$$r_s = r_f + \phi \sigma \rho_{ym} \left[ \left( \frac{V_a}{V} \right) + \left( \frac{V_g}{V} \right) \beta_1 + \left( \frac{V_d}{V} \right) \beta_2 \right],$$

where  $\beta_1 > 1$  and  $\beta_2 < 0$ .

## Lemma 2

$V_g$  and  $V_d$  both decrease in  $|B|$ .

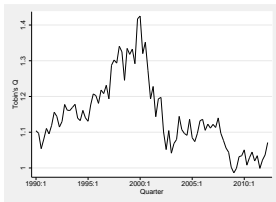
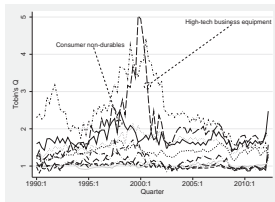
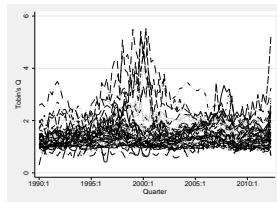
### ■ Implications on governance-return relation

- When  $V_g$  dominates (boom), returns increases in governance quality
- When  $V_d$  dominates (bust), returns decreases in governance quality

## Hypothesis 1

*Governance-return relation is procyclical, i.e., positive during booms and negative during busts.*

# Business Cycles Classifications

(a) Aggregate  $Q$ (b) FF 10  $Q$ (c) FF 48  $Q$ 

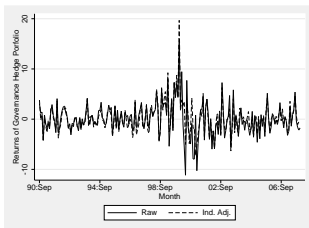
- Based on Tobin's  $Q$  of assets: 1990-2012
- Cutoffs
  - Boom: Top 20%
  - Bust: Bottom 20%
  - Normal: Rest
- Both aggregate cycles and industry-level cycles



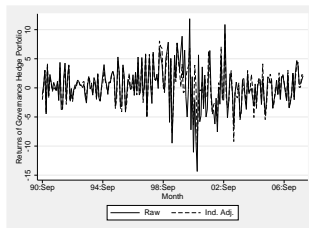
# Data and Sample

- Main sample from RiskMetrics based on IRRC/ISS releases (eight volumes, Sept. 1990 to Dec. 2007)
- Use G-index (Gompers, Ishii, and Metrick, 2003) and E-index (Bebchuk, Cohen, and Ferrell, 2009) as governance measures
- Monthly stock returns from CRSP
- Annual financial data from COMPUSTAT

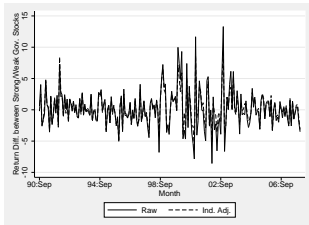
# Governance-Return along Business Cycles



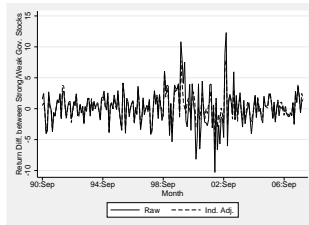
(a) Governance Hedge Portfolio : G-Index



(a) Governance Hedge Portfolio : E-Index



(c) Return Diff., Strong vs. Weak : G-Index



(d) Return Diff., Strong vs. Weak : E-Index

# Summary Statistics

Panel A: Aggregate Business Cycles					Panel B: (FF 10) Industry-Specific Business Cycles			
	G-Index		E-Index		G-Index		E-Index	
	Raw	Ind. Adj.	Raw	Ind. Adj.	Raw	Ind. Adj.	Raw	Ind. Adj.
Boom Periods								
$\bar{r}_P^S - \bar{r}_P^W$	0.86	1.49**	1.07	1.36**				
$\bar{r}_i^S - \bar{r}_i^W$	0.28	0.45*	0.57*	0.43	0.37	0.54*	0.17	0.54*
Bust Periods								
$\bar{r}_P^S - \bar{r}_P^W$	-0.60	-0.26	0.24	0.61				
$\bar{r}_i^S - \bar{r}_i^W$	-1.33*	-0.64	-0.62	0.17	-0.50*	-0.38	-0.23	-0.11
Panel C: (FF 48) Industry-Specific Business Cycles								
	G-Index		E-Index					
	Raw	Ind. Adj.	Raw	Ind. Adj.				
Boom Periods								
$\bar{r}_i^S - \bar{r}_i^W$	0.87***	0.97***	1.01***	1.16***				
Bust Periods								
$\bar{r}_i^S - \bar{r}_i^W$	-0.13	-0.09	0.08	-0.06				

# Portfolio & Factor Model

$$R_t = \alpha_{BM} \times \mathbb{I}_t^{BM} + \alpha_{NM} \times \mathbb{I}_t^{NM} + \alpha_{BT} \times \mathbb{I}_t^{BT} + \beta_1 \times \text{RMRF}_t + \beta_2 \times \text{SMB}_t + \beta_3 \times \text{HML}_t + \beta_4 \times \text{UMD}_t + \epsilon_t$$

Panel A: Raw Returns						
	G-Index			E-Index		
	(1)	(2)	(3)	(4)	(5)	(6)
$\alpha$	0.51* (0.26)	0.15 (0.19)		0.82*** (0.24)	0.66*** (0.20)	
$\alpha_{BM}$			0.71** (0.36)			1.19*** (0.37)
$\alpha_{NM}$			0.03 (0.22)			0.59** (0.23)
$\alpha_{BT}$			-1.08 (1.00)			-1.15 (1.04)
p-value: $\alpha_{BM}$			0.024			0.001
p-value: $\alpha_{BT}$			0.141			0.134
Sample Years	1990-1999	1990-2007	1990-2007	1990-2003	1990-2007	1990-2007
Panel B: FF 48 Industry-Adjusted Returns						
	G-Index			E-Index		
	(1)	(2)	(3)	(4)	(5)	(6)
$\alpha$	0.46* (0.26)	0.21 (0.18)		0.63*** (0.20)	0.48*** (0.17)	
$\alpha_{BM}$			0.95*** (0.33)			0.96*** (0.32)
$\alpha_{NM}$			0.02 (0.21)			0.39* (0.20)
$\alpha_{BT}$			-1.05 (0.92)			-0.87 (0.89)
p-value: $\alpha_{BM}$			0.002			0.001
p-value: $\alpha_{BT}$			0.129			0.164
Sample Years	1990-1999	1990-2007	1990-2007	1990-2003	1990-2007	1990-2007

# Discussion: Factor Model

## ■ Summary of findings

- Positive abnormal returns during booms; large in magnitude and statistically significant
- Negative abnormal returns during bust: large in magnitude but statistically insignificant

## ■ Problems with portfolio approach

- Portfolio approach based on aggregate business cycles; only two bust quarters (eight months)
- Does not control for other firm characteristics

## ■ Alternative approach: Characteristics regression (Brennan, Chordia, and Subrahmanyam, 1998)

- Regression at the firm level
- Allow for variation of business condition among industries
- Control for firm characteristics

# Implementation

- Control for cross-sectional dependence (Fama and MacBeth, 1973; Petersen, 2009)
- Main method: Clustered ordinary least squares

$$r_{it} = a + \gamma_t + b_{BM} \left( G_{it} \times \mathbb{I}_{it}^{BM} \right) + b_{NM} \left( G_{it} \times \mathbb{I}_{it}^{NM} \right) + b_{BT} \left( G_{it} \times \mathbb{I}_{it}^{BT} \right) + cX_{it} + e_{it}$$

- Standard error clustered in time (month)
- Include time (month) fixed effects ( $\gamma_t$ )
- Petersen (2009): Equivalent to Fama and MacBeth (1973)
- Compatible with aggregate business cycles classification

- Alternative method: Fama and MacBeth (1973)

$$r_{it} = a_t + b_{BM,t} \left( G_{it} \times \mathbb{I}_{it}^{BM} \right) + b_{NM,t} \left( G_{it} \times \mathbb{I}_{it}^{NM} \right) + b_{BT,t} \left( G_{it} \times \mathbb{I}_{it}^{BT} \right) + c_t X_{it} + e_{it}$$

- Repeat for boom, normal, and bust months
- No power under aggregate business cycles classification

# Clustered OLS

$$r_{it} = a + \gamma_t + b_{BM} \left( G_{it} \times \mathbb{I}_{it}^{BM} \right) + b_{NM} \left( G_{it} \times \mathbb{I}_{it}^{NM} \right) + b_{BT} \left( G_{it} \times \mathbb{I}_{it}^{BT} \right) + cX_{it} + e_{it}$$

Panel A: Raw Return						
	G-Index			E-Index		
	(1) Pool	(2) FF 10	(3) FF 48	(4) Pool	(5) FF 10	(6) FF 48
SG×Boom	0.26 (0.39)	0.39 (0.40)	0.69** (0.34)	0.29 (0.32)	0.45 (0.30)	0.66*** (0.25)
SG×Bust	−1.49* (0.87)	−0.32 (0.37)	−0.63*** (0.24)	−0.46 (0.52)	−0.57** (0.24)	−0.58*** (0.15)
p-value: $b_{BM}$	0.249	0.170	0.022	0.182	0.070	0.005
p-value: $b_{BT}$	0.044	0.188	0.004	0.192	0.009	0.000
Panel B: Industry-Median-Adjusted Return						
	G-Index			E-Index		
	(1) Pool	(2) FF 10	(3) FF 48	(4) Pool	(5) FF 10	(6) FF 48
SG×Boom	0.14 (0.33)	0.74** (0.29)	0.61** (0.27)	0.30 (0.21)	0.89*** (0.17)	0.73*** (0.14)
SG×Bust	−1.36** (0.67)	−0.64* (0.36)	−0.74*** (0.23)	−0.15 (0.44)	−0.59*** (0.21)	−0.62*** (0.12)
p-value: $b_{BM}$	0.341	0.005	0.012	0.076	0.000	0.000
p-value: $b_{BT}$	0.021	0.038	0.001	0.363	0.003	0.000

# Fama and MacBeth (1973) Method

$$r_{it} = a_t + b_{BM,t} \left( G_{it} \times \mathbb{I}_{it}^{BM} \right) + b_{NM,t} \left( G_{it} \times \mathbb{I}_{it}^{NM} \right) + b_{BT,t} \left( G_{it} \times \mathbb{I}_{it}^{BT} \right) + c_t X_{it} + e_{it}$$

Panel A: Raw Return				
	G-Index		E-Index	
	(1) FF 10	(2) FF 48	(3) FF 10	(4) FF 48
SG×Boom	0.51 (0.44)	0.65 (0.44)	0.56** (0.25)	0.60*** (0.21)
SG×Bust	-0.42 (0.25)	-0.40* (0.24)	-0.57** (0.26)	-0.44*** (0.13)
p-value: $b_{BM}$	0.124	0.067	0.014	0.002
p-value: $b_{BT}$	0.051	0.047	0.014	0.000
Panel B: Industry-Median-Adjusted Return				
	G-Index		E-Index	
	(1) FF 10	(2) FF 48	(3) FF 10	(4) FF 48
SG×Boom	0.69* (0.41)	0.66 (0.42)	0.88*** (0.19)	0.65*** (0.16)
SG×Bust	-0.51* (0.27)	-0.50** (0.24)	-0.33 (0.21)	-0.50*** (0.12)
p-value: $b_{BM}$	0.047	0.057	0.000	0.000
p-value: $b_{BT}$	0.029	0.022	0.059	0.000



# Summary: Characteristics Approach

- Procyclical governance-return relation: Positive (negative) during booms (busts)
- Large in magnitude
- Statistically significant under finer business cycles classification
- Robustness
  - Alternative business cycles classification criteria
  - Alternative measure of governance
  - Alternative explanation for negative relation during busts

# Alternative Business Cycles Classification

- Use 1970-2012 sample of  $Q$  for business cycles classification
- Use alternative cutoffs: Top and bottom 30% for boom and bust
- Results are similar with Fama and MacBeth (1973) approach

Panel A: Raw Returns, OLS with Clustered Variance

	Cycles Based on Longer Sample				Cycles Based on Wider Range					
	G-Index		E-Index		G-Index			E-Index		
	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	(10)
	FF 10	FF 48	FF 10	FF 48	Pool	FF 10	FF 48	Pool	FF 10	FF 48
SG×Boom	0.29 (0.32)	<b>0.59**</b> (0.29)	<b>0.45*</b> (0.25)	<b>0.66***</b> (0.22)	0.09 (0.33)	<b>0.40</b> (0.31)	<b>0.43</b> (0.27)	0.26 (0.25)	<b>0.53**</b> (0.24)	<b>0.55**</b> (0.21)
SG×Bust	<b>-1.19**</b> (0.46)	<b>-0.90**</b> (0.42)	<b>-0.65*</b> (0.33)	<b>-0.88***</b> (0.25)	-0.45 (0.56)	-0.15 (0.19)	<b>-0.28</b> (0.20)	-0.12 (0.27)	<b>-0.22</b> (0.14)	<b>-0.25**</b> (0.11)
p-value: Hypothesis I	0.177	0.022	0.038	0.002	0.396	0.099	0.056	0.149	0.013	0.005
p-value: Hypothesis II	0.005	0.016	0.027	0.000	0.214	0.224	0.076	0.327	0.061	0.009

Panel B: Industry-Adjusted Returns, OLS with Clustered Variance

	Cycles Based on Longer Sample				Cycles Based on Wider Range					
	G-Index		E-Index		G-Index			E-Index		
	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	(10)
	FF 10	FF 48	FF 10	FF 48	Pool	FF 10	FF 48	Pool	FF 10	FF 48
SG×Boom	<b>0.53**</b> (0.23)	<b>0.44*</b> (0.23)	<b>0.77***</b> (0.15)	<b>0.68***</b> (0.13)	-0.03 (0.29)	<b>0.59***</b> (0.23)	<b>0.40*</b> (0.21)	<b>0.27*</b> (0.16)	<b>0.81***</b> (0.14)	<b>0.65***</b> (0.12)
SG×Bust	<b>-1.30**</b> (0.50)	<b>-0.70*</b> (0.39)	<b>-0.55**</b> (0.24)	<b>-0.58***</b> (0.18)	-0.67 (0.46)	<b>-0.54**</b> (0.22)	<b>-0.49**</b> (0.22)	-0.10 (0.18)	<b>-0.42***</b> (0.14)	<b>-0.39***</b> (0.11)
p-value: Hypothesis I	0.012	0.027	0.000	0.000	0.542	0.005	0.029	0.049	0.000	0.000
p-value: Hypothesis II	0.005	0.035	0.012	0.001	0.075	0.006	0.014	0.290	0.001	0.000

# Alternative Governance Measure

- Giroud and Mueller (2010, 2011)
- Use product market competition as alternative measure (HHI)

Panel A: Cycles in 1990-2012				
	Clustered OLS		Fama and MacBeth (1973)	
	(1) Raw	(2) Ind. Adj.	(3) Raw	(4) Ind. Adj.
SG × Boom	0.33** (0.15)	0.34*** (0.10)	0.28 (0.19)	0.41** (0.17)
SG × Bust	−0.53*** (0.16)	−0.66*** (0.10)	−0.34*** (0.15)	−0.60*** (0.10)
<i>p</i> -value: $b_{BM}$	0.015	0.001	0.071	0.010
<i>p</i> -value: $b_{BT}$	0.000	0.000	0.011	0.000
Sample Years	1990-2011			
Panel B: Cycles in 1970-2012				
	Clustered OLS		Fama and MacBeth (1973)	
	(1) Raw	(2) Ind. Adj.	(3) Raw	(4) Ind. Adj.
SG × Boom	0.48*** (0.14)	0.27*** (0.08)	0.38*** (0.12)	0.22** (0.11)
SG × Bust	−0.74*** (0.21)	−0.58*** (0.08)	−0.62*** (0.13)	−0.41*** (0.09)
<i>p</i> -value: $b_{BM}$	0.000	0.000	0.001	0.023
<i>p</i> -value: $b_{BT}$	0.000	0.000	0.000	0.000
Sample Years	1975-2011			

# Alternative Argument for Findings during Busts

## ■ Argument

- Governance-return relation is always positive
- Governance effectiveness reversed during busts
- Observed spurious negative relation during busts

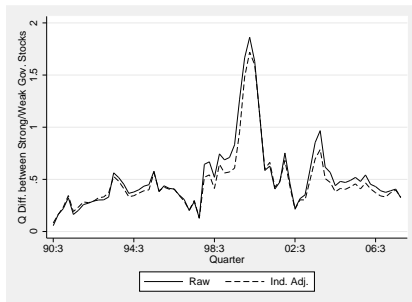
## ■ Testing idea: If so, strong governance stocks have lower $Q$ than weak governance stocks

## ■ Our model predicts strong governance stocks are always valued higher than weak governance stocks

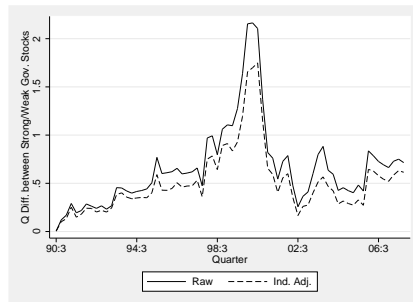
## ■ Implementation

$$Q_{it} = a + \gamma_t + b_{BM} \left( G_{it} \times \mathbb{I}_{it}^{BM} \right) + b_{NM} \left( G_{it} \times \mathbb{I}_{it}^{NM} \right) + b_{BT} \left( G_{it} \times \mathbb{I}_{it}^{BT} \right) + cZ_{it} + e_{it}$$

# Governance and Stock Valuation: Quick Look



(a) Val. Diff. Strong vs. Weak : G-Index



(b) Val. Diff. Strong vs. Weak : E-Index

# Governance and Stock Valuation along Business Cycles

Panel A: Tobin's Q

	G-Index			E-Index		
	(1) Pool	(2) FF 10	(3) FF 48	(4) Pool	(5) FF 10	(6) FF 48
SG × Boom	0.56*** (0.15)	0.37*** (0.11)	0.43*** (0.11)	0.68*** (0.09)	0.41*** (0.06)	0.44*** (0.06)
SG × Normal	0.32*** (0.09)	0.40*** (0.10)	0.36*** (0.10)	0.36*** (0.05)	0.39*** (0.06)	0.36*** (0.05)
SG × Bust	-0.02 (0.10)	0.27*** (0.09)	0.32*** (0.10)	0.01 (0.05)	0.29*** (0.05)	0.34*** (0.06)

Panel B: Tobin's Q Adjusted by Industry Median

	G-Index			E-Index		
	(1) Pool	(2) FF 10	(3) FF 48	(4) Pool	(5) FF 10	(6) FF 48
SG × Boom	0.53*** (0.15)	0.41*** (0.10)	0.42*** (0.11)	0.56*** (0.09)	0.38*** (0.05)	0.38*** (0.06)
SG × Normal	0.33*** (0.09)	0.39*** (0.10)	0.37*** (0.09)	0.24*** (0.04)	0.31*** (0.05)	0.30*** (0.05)
SG × Bust	0.01 (0.09)	0.31*** (0.09)	0.32*** (0.09)	0.01 (0.05)	0.28*** (0.05)	0.29*** (0.05)

- Strong governance stocks are always valued higher than weak governance stocks
- Our findings during busts are not driven by reversal of effective governance level

# Conclusion

- We provide an alternative explanation for the existence (late 1990's) and disappearance (post 2001) of governance-stock relation
  - Governance-stock relation is procyclical
  - During booms (late 1990's): Strong governance is associated with higher returns
  - During busts (early 2000's): Strong governance is associated with lower returns
  - Unconditional relation (pooling whole period): The relation might be insignificant
- We provide empirical evidence for the argument
  - In general, consistent with our predictions
  - More significant when business cycles are identified more precisely (industry-level)
  - Robust to regression methods, industry adjustment, alternative criteria of business cycles, and alternative measure of governance