Information Globalization, Risk Sharing, and International Trade

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This paper:

"...incorporates a simple information asymmetry in a standard, two-country Armington trade and studies its effect on international risk sharing and trade flows."

"[...] we find that ameliorating information asymmmetry-information globalization-reduces trade and risk sharing [...] asymmetric information behave in the opposite manner as standard trade costs."

Me, This paper, Information and Trade:

- t₀: No signal: (only the authors) Veldkamp and Waugh!!
- t1: Signal: (the Introduction): OMG!! Hirshleifer and Trade.
- t_2 : Realization: (reading the paper) A lot of food for thought.

Road Map

1. An even simpler environment

2. Comments & Concerns

3. My Takeaways

An Even Simpler Armington Model

- Two Countries: 1, 2.
 - Continuum measure one in each.
 - Identical agents (ex-ante and ex-post).
- Two goods: 1,2 (associated to resp. country)
- Preferences:

$$U = E\left[rac{(c_1)^{ heta}}{ heta} + rac{(c_2)^{ heta}}{ heta}
ight]$$

- Timing of trade:
 - First: agents in each country realize their endowment:
 - signal about the other country.
 - Second: each agent decides how much to export.
 - Third: International prices clear.

An Even Simpler Armington Model

- Endowments: Bernoulli distributed.
 - Either high (Y_i^H) or low (Y_i^L) ; probability=50%. $r \in \{L, H\}$

- Distributions are independent across countries (as in BVW).
- Identical across agents within each country

Equilibrium: Complete Information

• Export Prices (good 1 relative to 2):
$$p = \frac{\chi_2}{\chi_1}$$
.

Export Decisions: Each agent chooses x_i, knowing X_i and X_j:

$$x_{1}^{r} = \arg \max_{x} \left\{ \frac{(Y_{1}^{r} - x)^{\theta}}{\theta} + \frac{\left(\frac{X_{2}}{X_{1}} \times x\right)^{\theta}}{\theta} \right\}$$
$$x_{2}^{r} = \arg \max_{x} \left\{ \frac{\left(x\frac{X_{1}}{X_{2}}\right)^{\theta}}{\theta} + \frac{(Y_{2}^{r} - x)^{\theta}}{\theta} \right\}$$

• Consistency:
$$x_i^r = X_i^r$$
.

Equilibrium: Complete Information

Reaction Functions: Country i exports given X_j

$$[Y_{i} - X_{i}]^{\theta - 1} = (X_{j})^{\theta} (X_{i})^{-1}$$

• If $\theta = 0$ (log preferences)

$$X_i = \frac{Y_i}{2}.$$

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• Easy to numerically solve for any $\theta \in (-\infty, 1]$.



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Equilibrium: Incomplete Information

• Ex-Post Export Prices:
$$p = \frac{X_2}{X_1}$$

Export Decisions: Each agent chooses x_i, knowing X_i but not X_j (or prices):

$$\begin{aligned} x_1^r &= \arg \max_x \left\{ \frac{\left(Y_1^r - x\right)^{\theta}}{\theta} + \left(\frac{1}{2}\right) \frac{\left(x \frac{X_2^H}{X_1}\right)^{\theta}}{\theta} + \left(\frac{1}{2}\right) \frac{\left(x \frac{X_2^L}{X_1}\right)^{\theta}}{\theta} \right\} \\ x_2^r &= \arg \max_x \left\{ \left(\frac{1}{2}\right) \frac{\left(x \frac{X_1^H}{X_2}\right)^{\theta}}{\theta} + \left(\frac{1}{2}\right) \frac{\left(x \frac{X_1^L}{X_2}\right)^{\theta}}{\theta} + \frac{\left(Y_2^r - x\right)^{\theta}}{\theta} \right\} \end{aligned}$$

Consistency:

$$x_i^r = X_i^r$$
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Equilibrium: Incomplete Information

Export Decisions:

$$x_1^r = \arg \max_x \left\{ rac{\left(Y_1^r - x
ight)^{ heta}}{ heta} + rac{\left(x \mathbf{p}^{\mathbf{E}}
ight)^{ heta}}{ heta}
ight\}$$

• where p^E is a CES aggregator:

$$\mathbf{p^{E}} \equiv \left[\left(\frac{1}{2}\right) \left(\frac{X_{2}^{H}}{X_{1}^{\prime}}\right)^{\theta} + \left(\frac{1}{2}\right) \left(\frac{X_{2}^{L}}{X_{1}}\right)^{\theta} \right]^{\frac{1}{\theta}}$$

is a CES aggregator of ex-post export prices.

Again, with log preferences,

$$X_i = \frac{Y_i}{2}$$
,

i.e. the same as with perfect information.

Incomplete Information with Signals

- ▶ Let country *i* observe a signal; µ^j ≥ 1/2 probability of true realization Y_i
- Export Decisions:

$$x_{1}^{r} = \arg \max_{x} \left\{ \frac{\left(Y_{1}^{r} - x\right)^{\theta}}{\theta} + \frac{\left[x \mathbf{p}^{\mathbf{E}}\left(\mu^{j}\right)\right]^{\theta}}{\theta} \right\}$$

• where the aggregate p^E becomes:

$$\mathbf{p}^{\mathbf{E}}\left(\mu^{j}\right) \equiv \left[\mu^{H}\left(\frac{X_{2}^{H}}{X_{1}^{r}}\right)^{\theta} + \left(1 - \mu^{H}\right)\left(\frac{X_{2}^{L}}{X_{1}}\right)^{\theta}\right]^{\frac{1}{\theta}}$$

is a CES aggregator of ex-post export prices.

Again, with log preferences,

$$X_i=rac{Y_i}{2}$$
,

i.e. the same as with perfect information.

The Value of θ.

- Here: Argmington (intra-temporal);
- But the key economics is wrt Risk!
- Example outlined above shows that the value of θ matters.

Information frictions the opposite of trade costs?

Not True! In their simulations, utility is higher with better information.

- Same in the stylized example above.
- More below (on efficiency benchmark)

International vs. Domestic Trade:

- Yet, they do not have domestic trade in the model!!!
- Information aggregation & domestic prices never had a chance!!
- Paper is motivated by information frictions that preclude international trade but not domestic trade.
- Introducing non-tradeables can enrich (or revert?) the implications of information imperfections.

Second order beliefs:

- Here: Knowing more of what the others know reduces trade.
- But in many other settings the opposite is true!
- In general, thinking of higher order beliefs might be useful.
- Potentially interesting interaction with multicountry settings.

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Efficiency:

- More trade is not necessarily good
 - (remember old "creation" vs "diversion" stuff).
- Here is also true in their simulations.
- A clear benchmarks is desirable.

Going beyond Endowment Economies:

- Here, information only changes final consumption.
- With production can change allocation of labor and other factors.

Real Exchange Risk?

- Here Terms-of-Trade risk only.
- Most countries exports are determined in US\$.
- A big chunk of risk is with domestic prices.
- Yet another reason to address the target issues in model with non-tradeables.

Financial Markets:

- Here: no asset trading to avoid obscuring the argument.
- Can envisage settings in which asset prices lead to full revelation.
- The devil is on the details (but so are the interesting issues here)..

▶ How and how far are you going to push this?

Here: as a negative result and very forcefully.

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Multiple dead-ends with the data.

My Takeaways

- Interesting stuff.
- Paper provides a productive provocation on how to think about information and trade.
- Introducing second order beliefs (information) and trade.

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